

# The Influence of macro-roughness elements on the propagation of a bore over an initially dry bottom

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- Inundation modelling for tsunami early warning system in Indonesia
- Alternative approach
- Validation
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- Smmry, cnclsn, tlk

# 01.

## Introduction

# Introduction

- motivation: tsunami inundation modelling
- depth-averaged models (non-linear shallow water (NLSW) and Boussinesq models):
  - use Manning formula with coefficient for bottom
- Macro-roughness elements (buildings and tree vegetation):
  - too small to be represented in numerical grid/mesh
  - may be considered by increased Manning's coefficient

$$u = \frac{1}{n} R_b^{2/3} \sqrt{S_0}$$



not physically sound



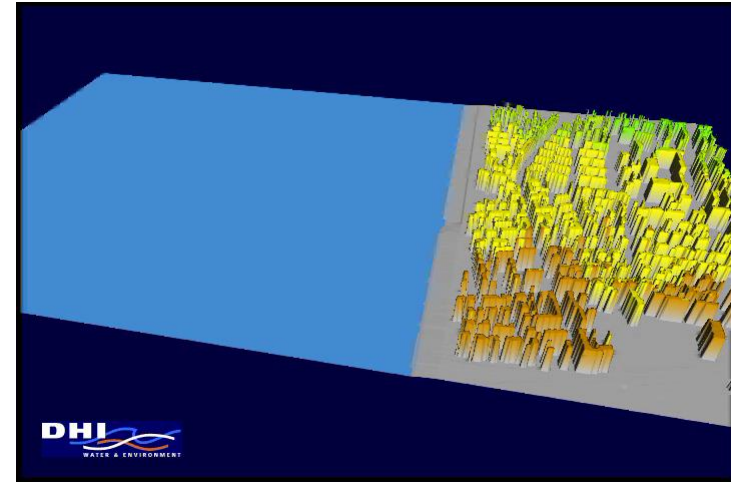
large uncertainties

# 02.

## Inundation modelling for the Tsunami Early Warning System in Indonesia

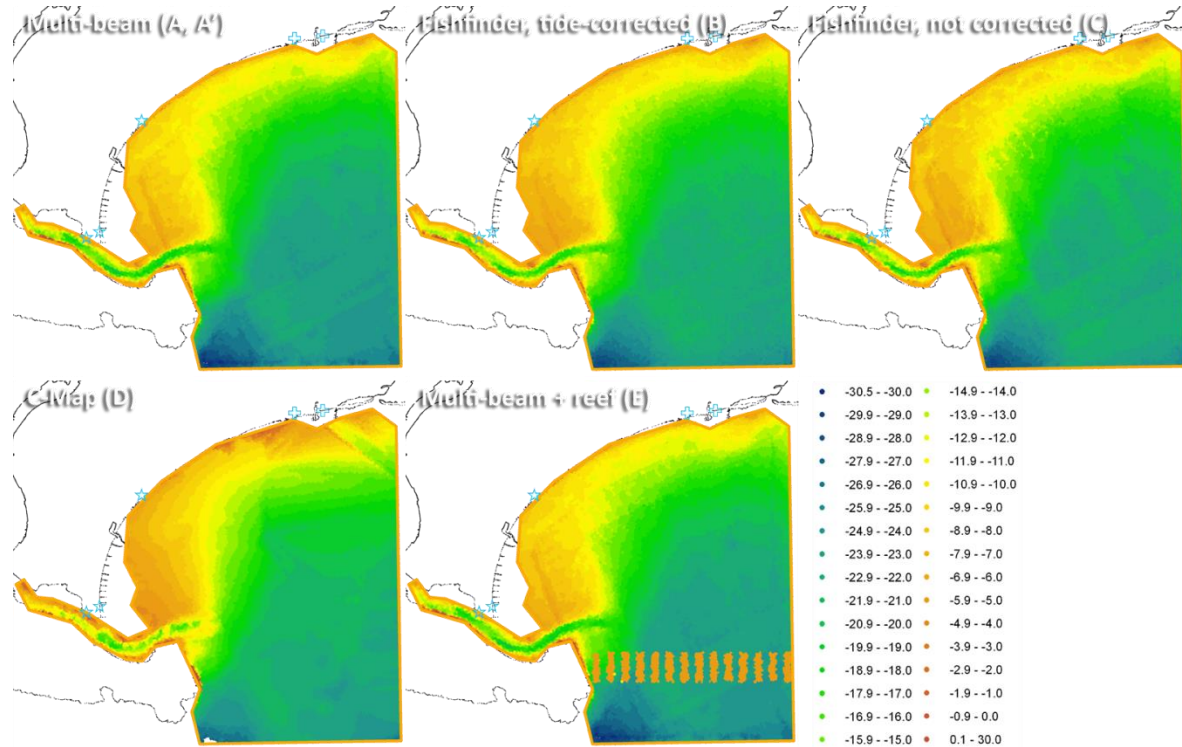
# Modeling software

- 2D numerical models (non-linear shallow-water equation model, such as MIKE 21)
- Depth-dependent drag coefficient in quadratic friction law from Gauckler/Manning/Strickler formula
- high resolution required
- model distinguishes between area types (e.g. streets, houses, vegetation)
- Eddy viscosity



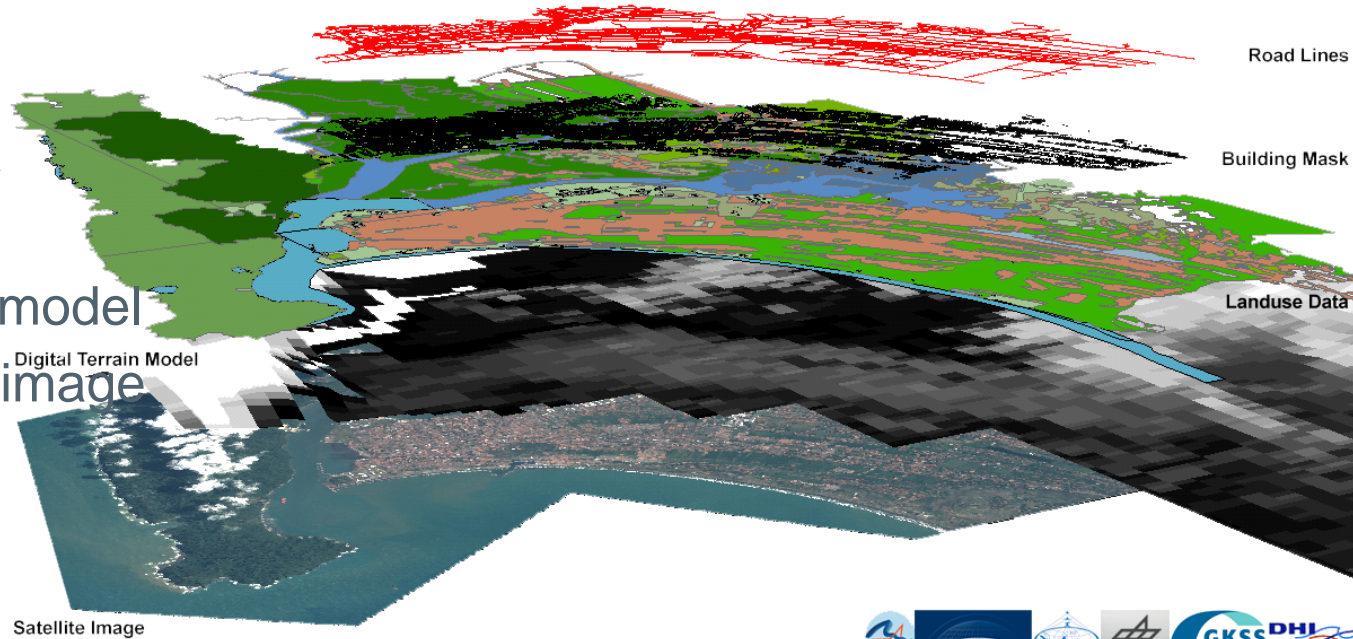
# Bathymetry data

- Comparison of different data sets
- Runup does not vary significantly (Leschka, Kongko & Larsen, 2009)



# Roughness data

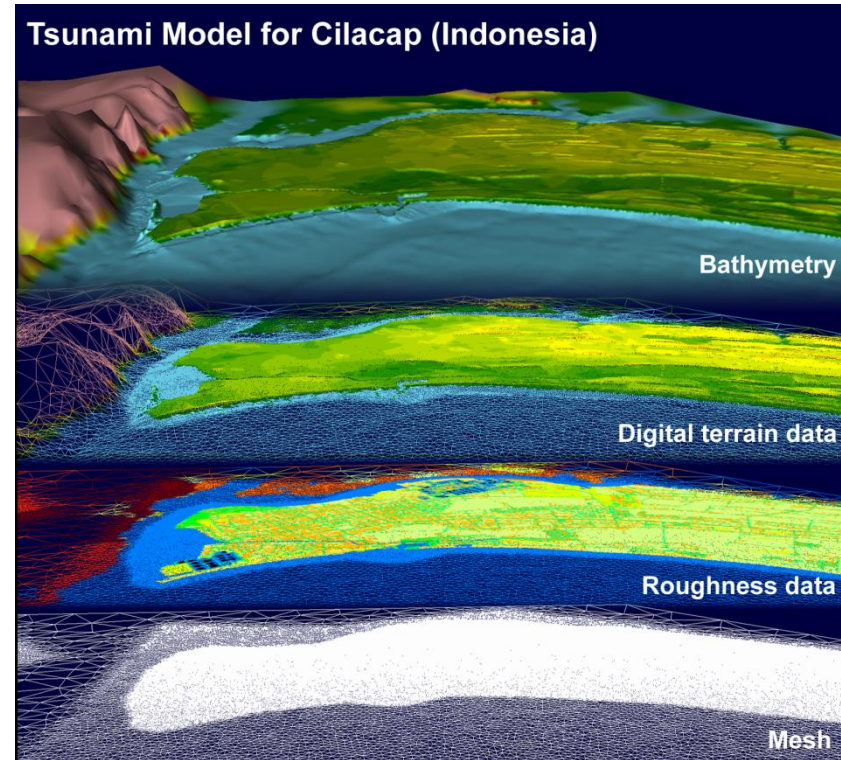
- Onshore:
  - Road lines
  - Building mask
  - Landuse data
  - Digital terrain model
  - Satellite/airial image





# MIKE 21 FM setup

- Discretization: 2nd order time/space
- Timesteps: 0.01 – 10s ( $CFL_{crit} = 0.8$ )
- Drying/wetting/flooding: 0.005/0.05/0.1 m
- Eddy viscosity: Smagorinsky
- Bed resistance offshore:  $32 \text{ m}^{1/3}/\text{s}$



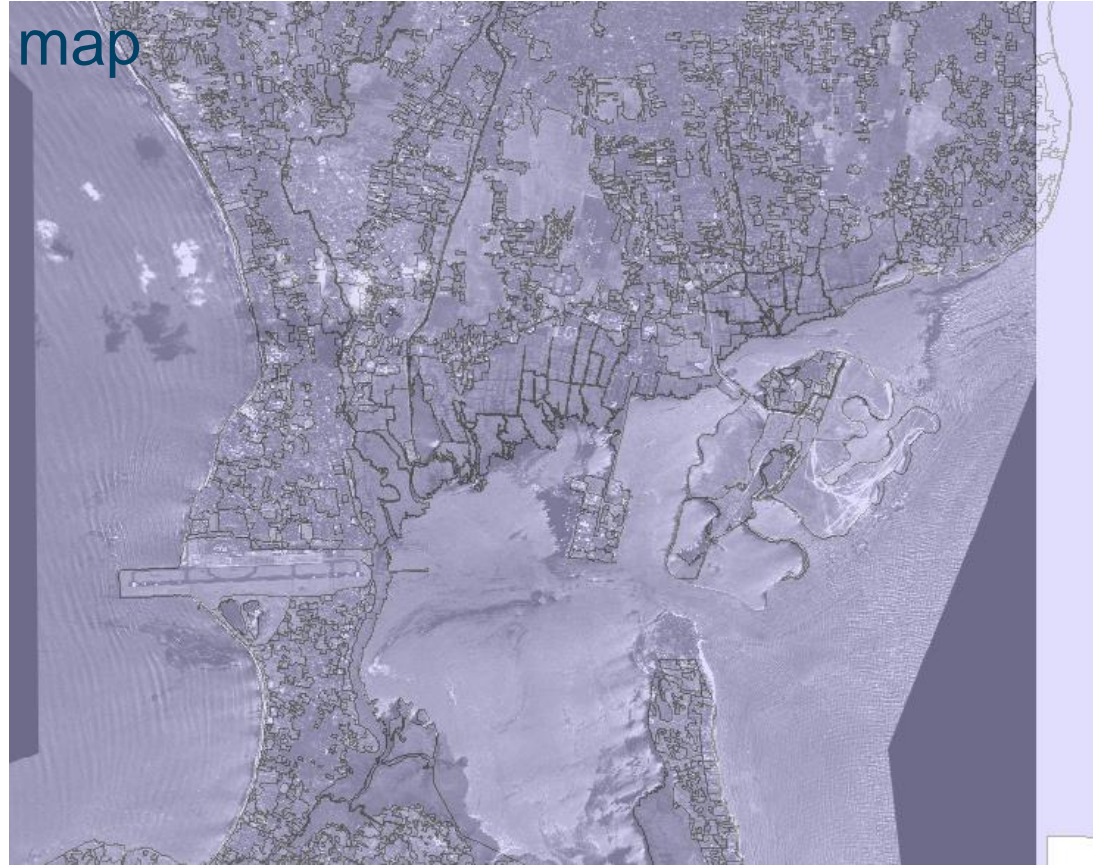
# Generation of roughness map

- Digital Globe image (2006):  
Quickbird Bali South



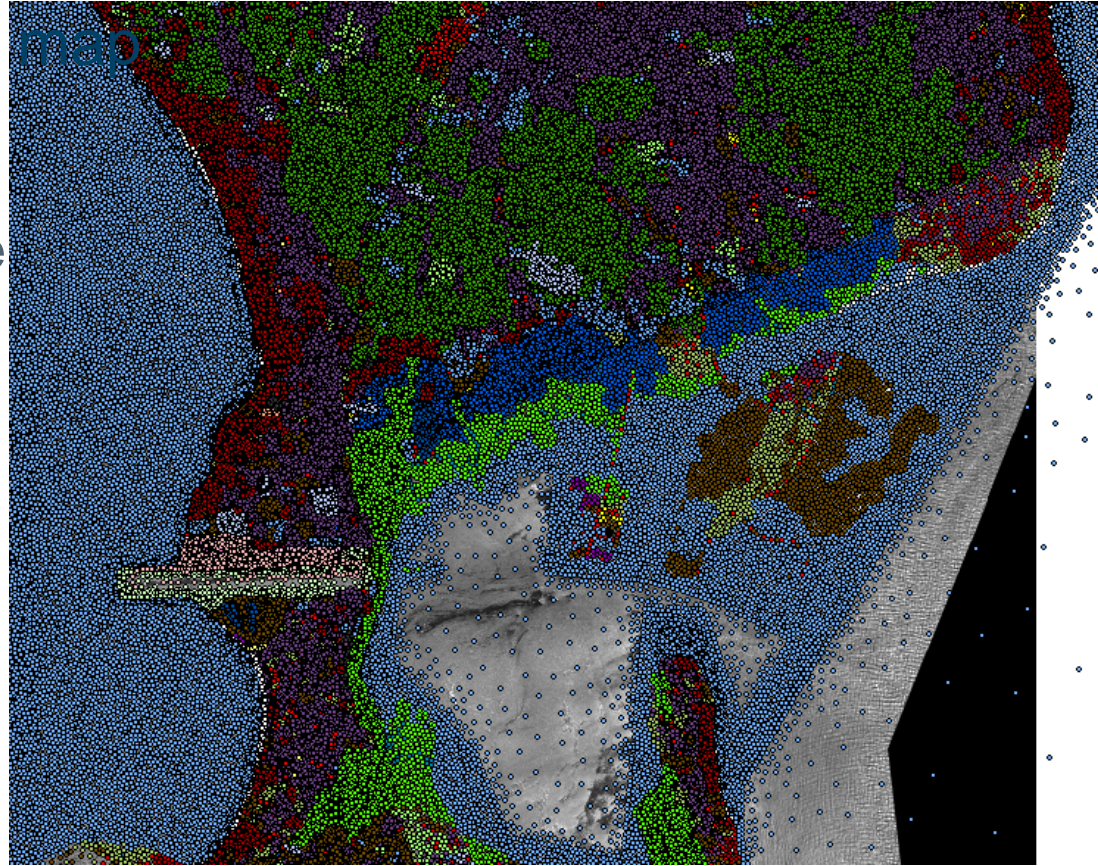
# Generation of roughness map

- DLR (2008): Landuse Data
  - Hotel
  - Office area
  - Plantation
  - Industry
  - Settlement
  - Paddy field
  - Savannah



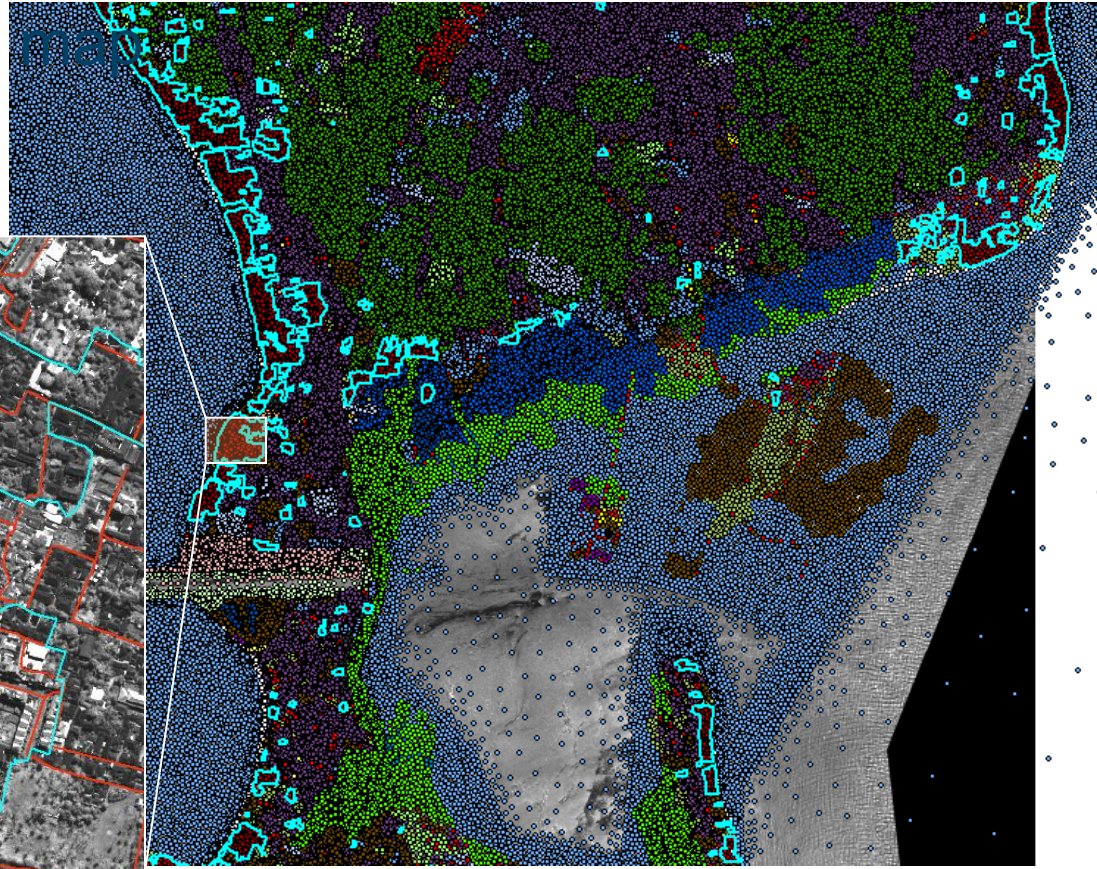
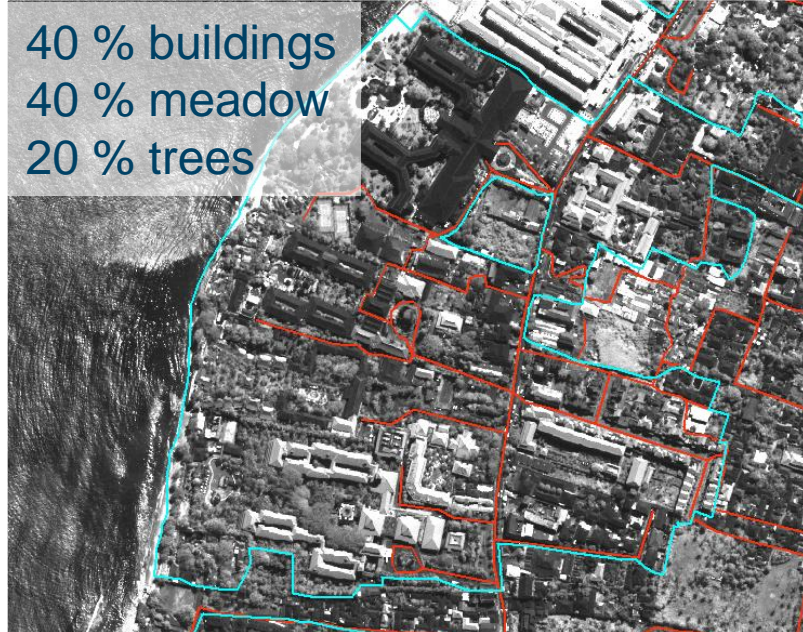
# Generation of roughness map

- Split into fractions -> Manning no. From literature
  - sand
  - stone
  - soil
  - asphalt
  - meadow
  - Forest types



# Generation of roughness map

- e.g. hotel areas:



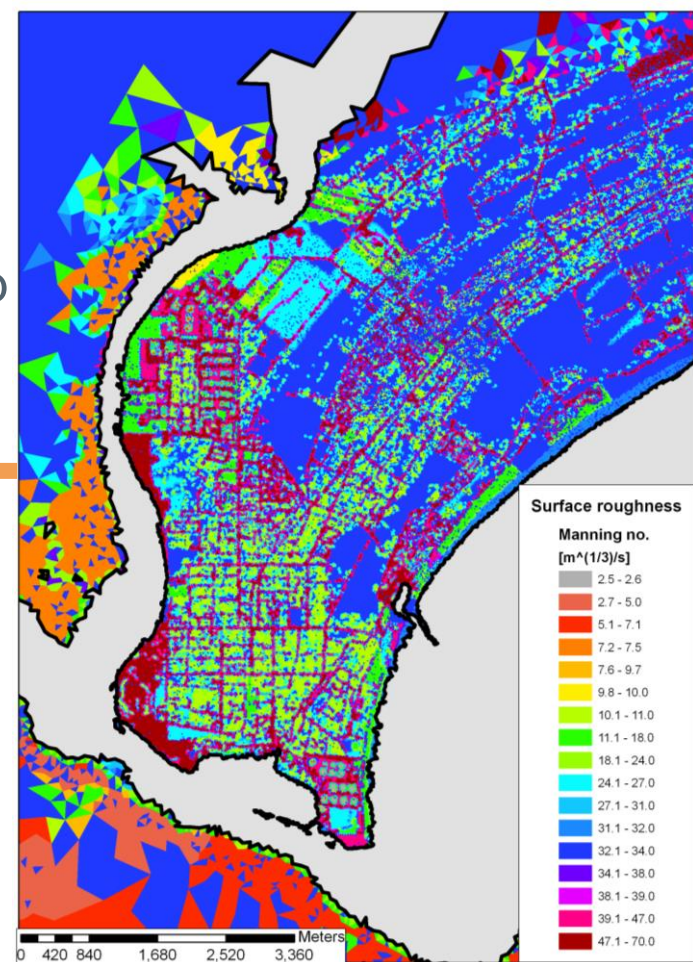
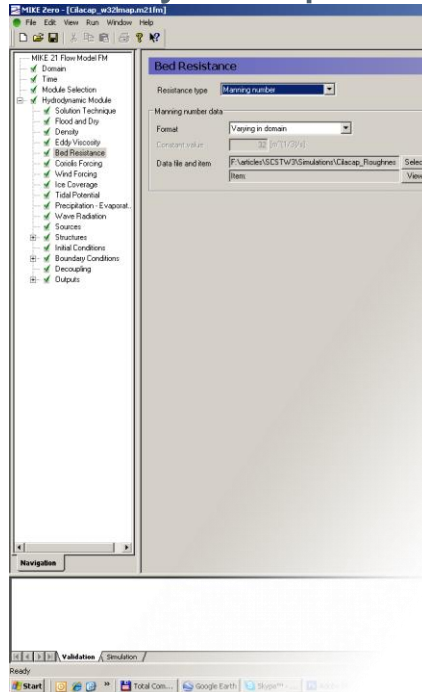
# Generation of roughness map

- Buildings
  - resistant:  $M = 2.5 \text{ m}^{1/3}/\text{s}$
  - non-resistant:  $M = 11 \text{ m}^{1/3}/\text{s}$(Gayer, Leschka, Noehren, Larsen & Guenther, 2009. High resolution tsunami inundation modelling. Annual meeting of AOGS, 11-15 August 2009, Singapore.)



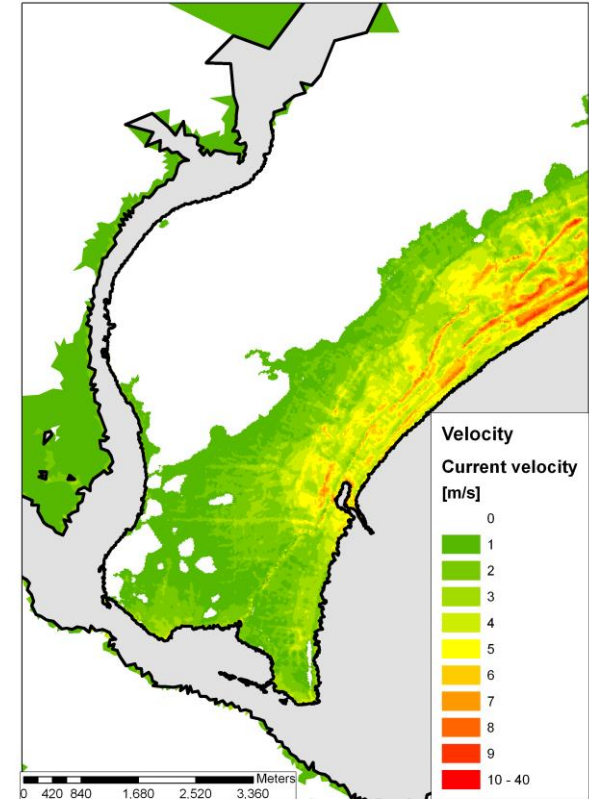
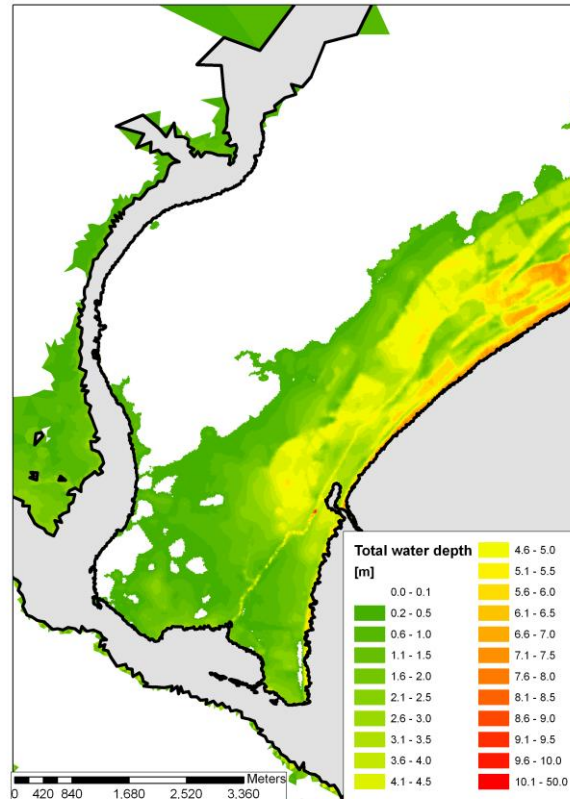
# Generation of roughness map

- Linearly interpolated roughness map Cilacap



# Example results

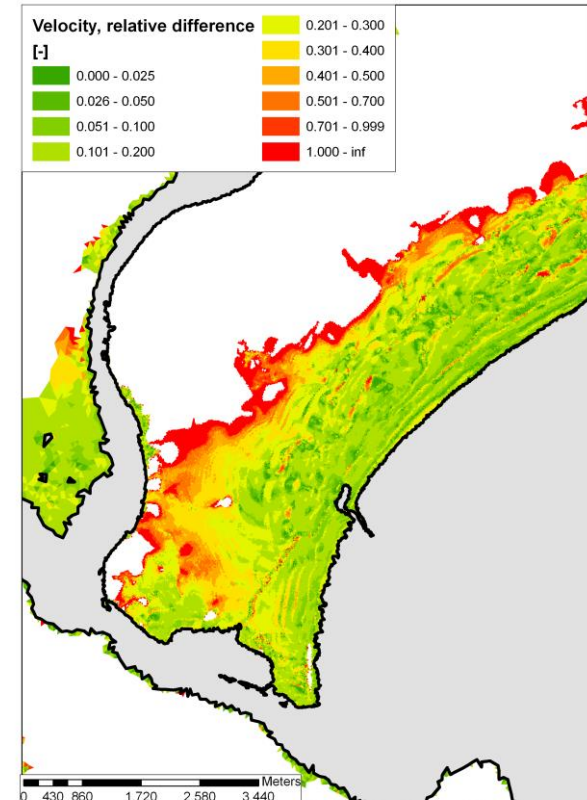
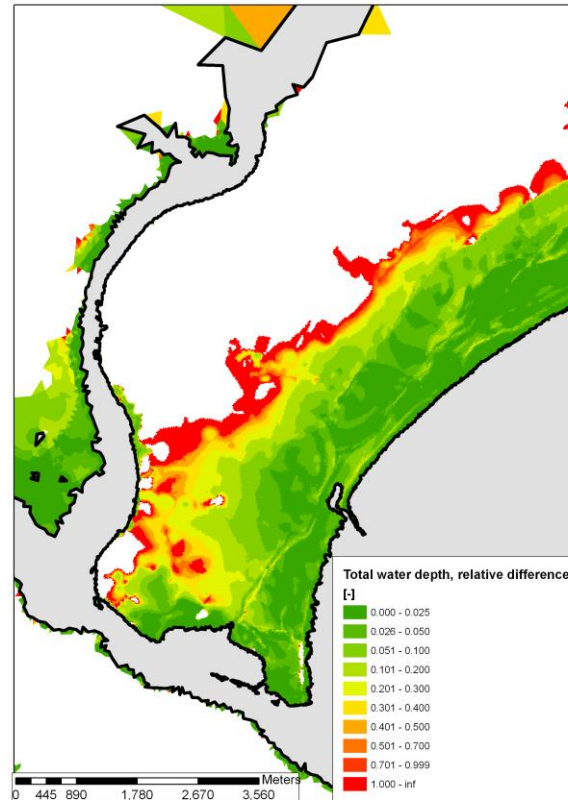
- total water depth
- current velocity





# Sensitivity

- $M = 35 \text{ m}^{1/3}/\text{s}$   
vs.  
 $M = 5 \text{ m}^{1/3}/\text{s}$
- total water depth
- current velocity





# 03.

## Alternative approach

# Energy losses

- Energy losses during tsunami inundation
  - Friction
  - Drag
  - Vortex
  - Inertia
- Friction: Chézy (1775), Gauckler/Manning/Strickler
  - no viscosity -> fully rough/fully turbulent conditions
  - $R_b$  hydraulic radius (channel flow)
  - steady state
  - dimensional

$$u = \frac{1}{n} R_b^{2/3} \sqrt{S_0}$$

$$C_F = \frac{gn^2}{h^{1/3}}$$

# Energy losses

- previous work:
  - river engineering
    - Li & Shen (1973)
    - Fisher & Reeve (1994)
  - proposed inertia coefficients
    - Noji et al. (1993)
    - Tsutsumi et al. (2000)
    - Harada & Kawata (2004)
  - extensions to NLSW model
    - Matsutomi et al. (2006)
- vegetated/urban areas:
  - Augustin et al. (2009)
  - Yuan & Huang (2009)
  - Suzuki & Arikawa (2010)
  - Husrin et al. (2011)
  - Huang et al. (2011)
  - Goseberg (2011)
  - Huthoff (2012)
  - Li et al. (2012)

# Energy losses due to friction

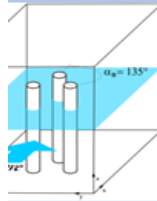
- Bradford & Sanders (2002): Manning approach near wet/dry boundary causes unrealistically large predictions of shear stress
- Haaland formula from pipe flow considers Reynolds number

$$C_F = \frac{0.204}{\ln^2 \left[ \text{Re} + (k_s/14.8h)^{1.11} \right]}$$

- still not applicable for vertical structures

# Methodology

## Case 1: Model validation and plausibility tests



ANS-VOF model:  
FOAM, laboratory scale

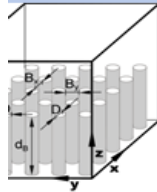
Flow condition:  
solitary wave  
bore



Near field: Far field:  
- Forces - Flow velocities  
- Water levels

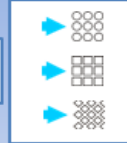
Basic understanding of influences of  
- Arrangement  
- distances  
- Flow condition

## Case 2: Parameter study



ANS-VOF model:  
FOAM, laboratory scale

Flow condition:  
bore



Near field: Far field:  
- Forces - Flow velocities  
- Water levels  
- Transmission coefficient  
- Reflection coefficient  
- Dissipation coefficient

understanding of influences of  
- shape  
- arrangement  
- density  
- submergence depth

## Case 3: Development of simple formulae

3D relations → empirical 2D relations

# 02.

## Model validation

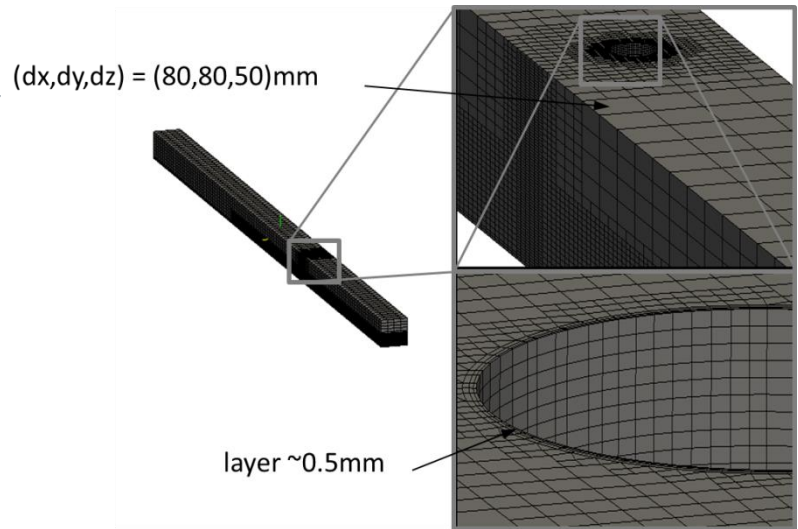


# Validation

- i. offshore:
  - a) forces on single cylinder due to regular waves (data by Bonakdar, 2012)  
wave generation, propagation, force calculation
  - b) solitary wave heights (data by Strusinska, 2010)  
numerical dissipation
- ii. onshore:
  - forces on single cylinder due to bore (Árnason, 2004)

# Validation

- iii. interaction in a group of cylinders subject to regular waves
  - a) comparison with laboratory data (Bonakdar & Oumeraci, 2014)
  - b) plausibility tests with lab data (Bonakdar, 2012) and empirical relations



**Mesh scene of the bore validation**

## Validation: i.b) Bore at a single cylinder

- tank of the Charles W. Harris Hydraulics Laboratory of the University of Washington
  - dimensions:  
 $L / W / H = 16.62 / 0.61 / 0.45 \text{ m}$
  - column diameter  $D_B = 0.14 \text{ m}$
  - impoundment height  $h_0 = 0.25 \text{ m}$

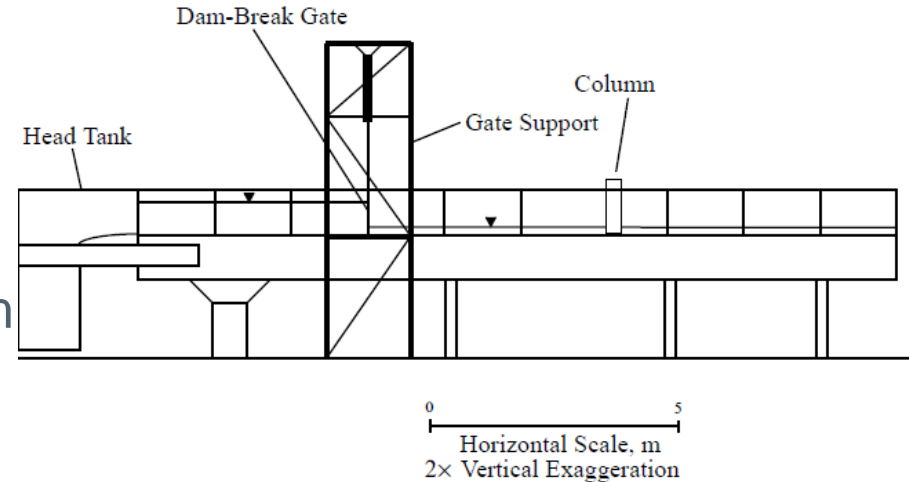
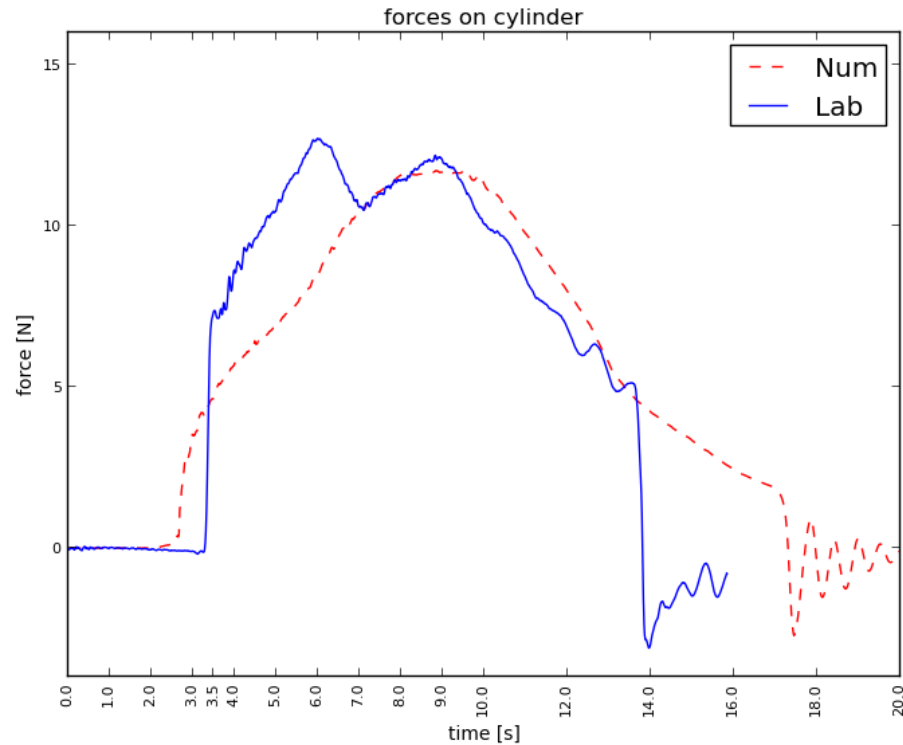


Figure 4.1: A diagram of the tank (adapted from Moore (1999))

source: Árnason (2004)

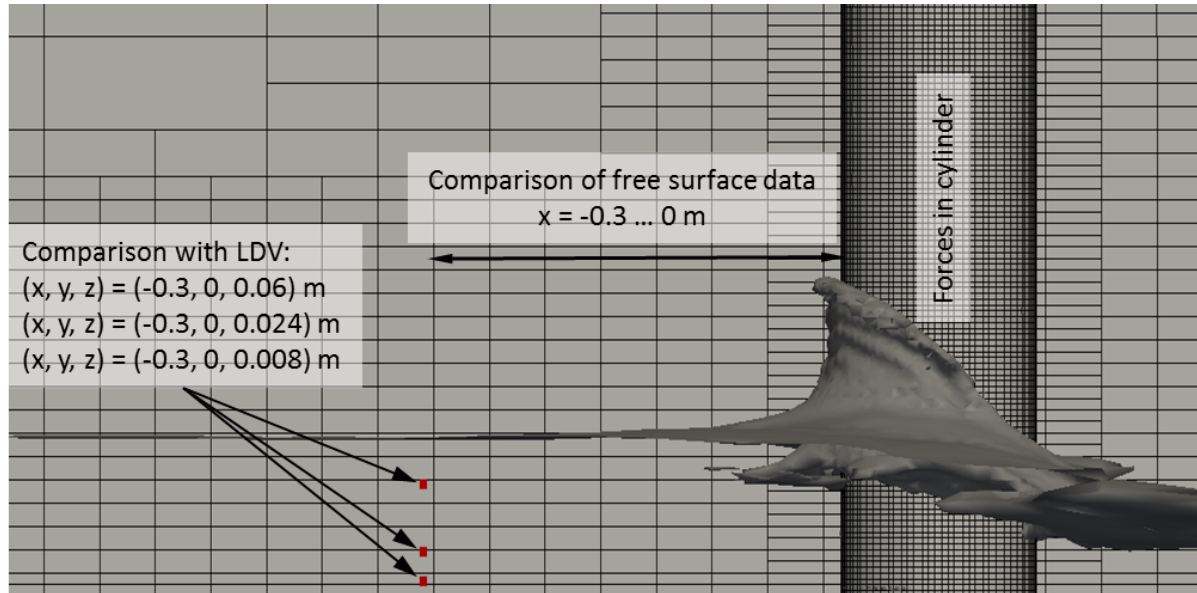
# Validation: i.b) Bore at a single cylinder

- first result:



# Validation: i.b) Bore at a single cylinder

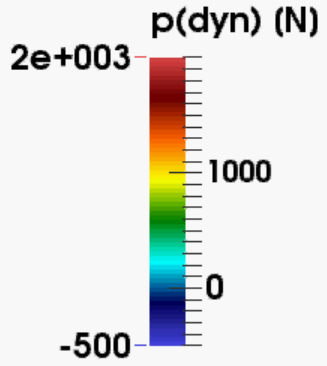
- bore at a single cylinder (Árnason, 2004)



Free surface and velocity comparison

dry bottom

20 mm water layer



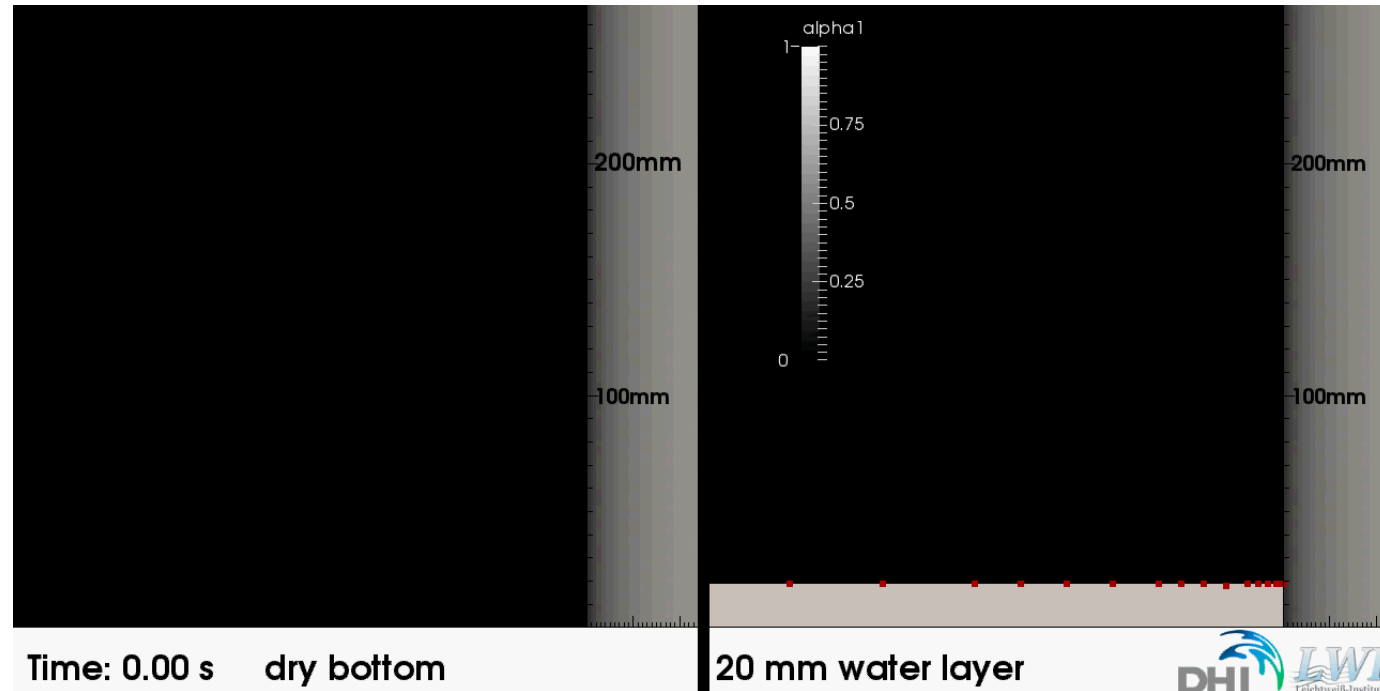
Time: 0.00 s

# Validation: 1.b) Bore at a cylinder

- Free surface in at upstream cylinder face

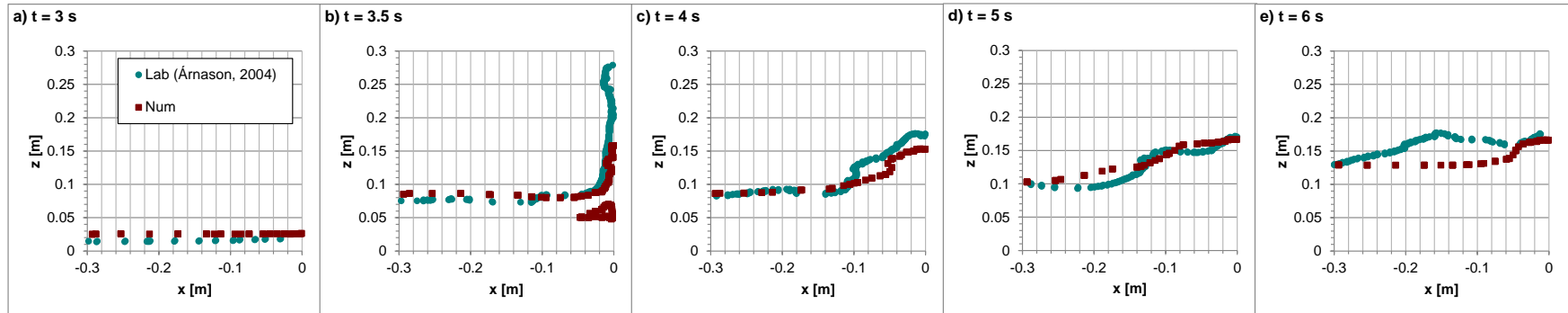
red dots:  
alpha1:

interpolated free surface  
simulated water phase content in cells



# Validation: Bore at a single cylinder

- Free surface data comparison

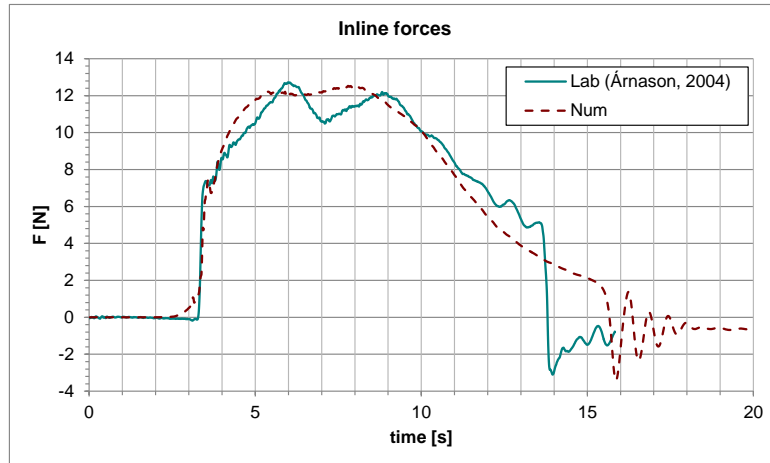


Free surface comparisons at different time steps.

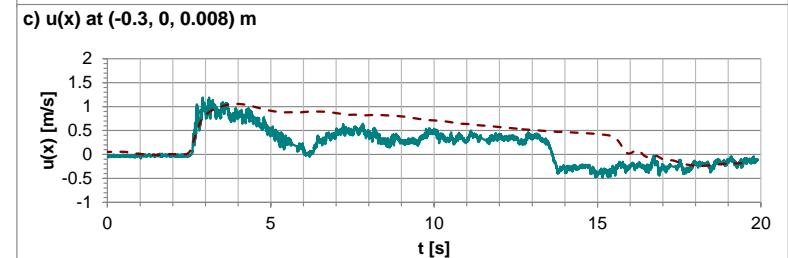
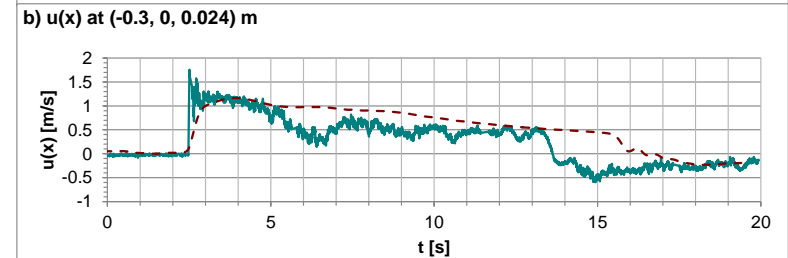
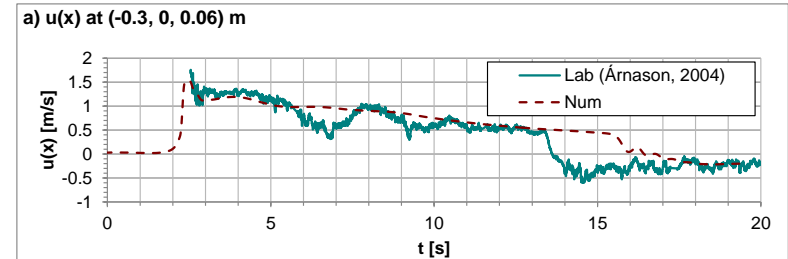


# Validation: Bore at a single cylinder

- Bore at a single cylinder
  - Deviation max.  $F \sim 1.6\%$



Force comparisons at different time steps.



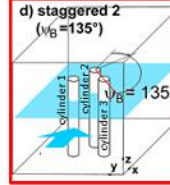
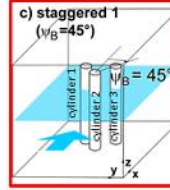
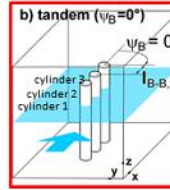
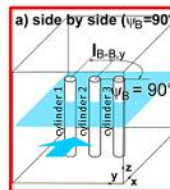
Velocity comparisons at different time steps.

# 03.

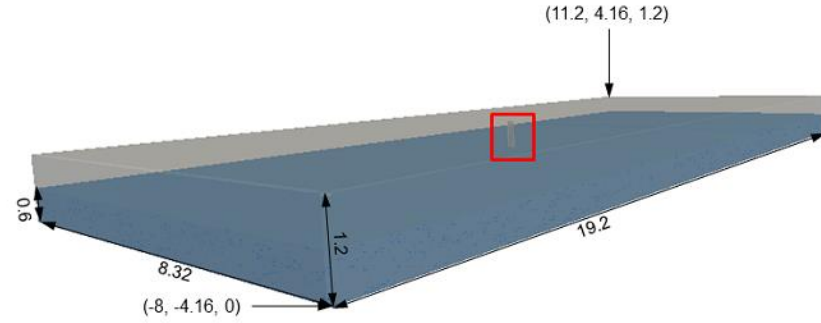
## Setup

# Setup

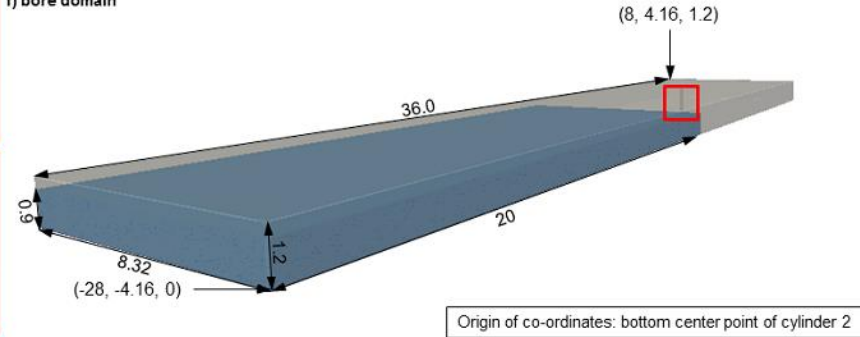
- Distances:
  - $0.5 D_B$
  - $1.0 D_B$
  - $2.0 D_B$
  - $3.0 D_B$
- arrangement angle  $\Psi_B$ :
  - spans clockwise between
    - main flow direction
    - direction of next roughness element



e) solitary wave domain



f) bore domain

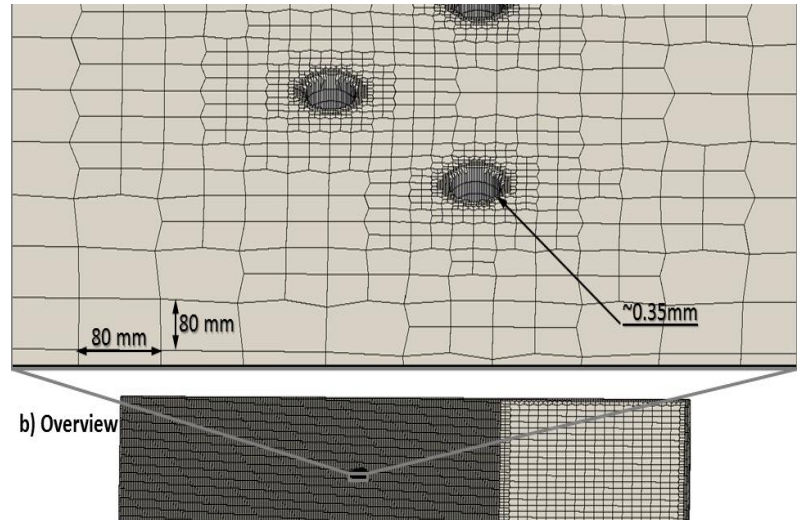


Origin of co-ordinates: bottom center point of cylinder 2

- Basic arrangements of cylinders

# Setup

- 3D Navier-Stokes model:  
OpenFOAM (OpenFOAM Foundation, 2010)
- wave cases:
  - wavesToFoam toolbox  
(Jacobsen et al., 2012)
- bore cases:
  - interFoam solver



**Mesh scene of wave cases**

# Setup

- numerical parameters:

Domain	Solitary wave	Bore
X	{-8, ..., 11.2} m	{-28, ..., 8} m
Y	{-4.16, ..., 4.16} m	{-4.16, ..., 4.16} m
Z	{0, ..., 1.2} m	{0, ..., 1.2} m
<b>Mesh</b>		
dx/dy	0.08 m (180 cells/L)	0.08 m
dz	0.01 m (22 cells/H)	0.01 m
<b>initial/BC</b>		
H	0.22 m	-
$h_0$	0.6 m	0.9 m

# Methodology

- Normalize and analyze
  - flow field
  - forces in cylinders

$$u(x)_{soliton,max}^* = \frac{u(x)_{soliton,max}}{u(x=0)_{soliton,no\ cylinder,max}}$$

$$F(x)_{max}^* = \frac{F(x)_{i,max}}{F(x)_{single,max}}$$

# 04.

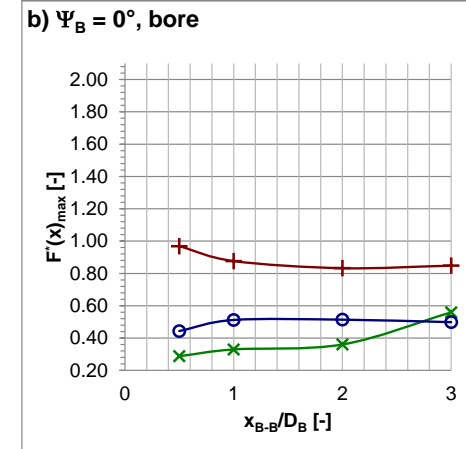
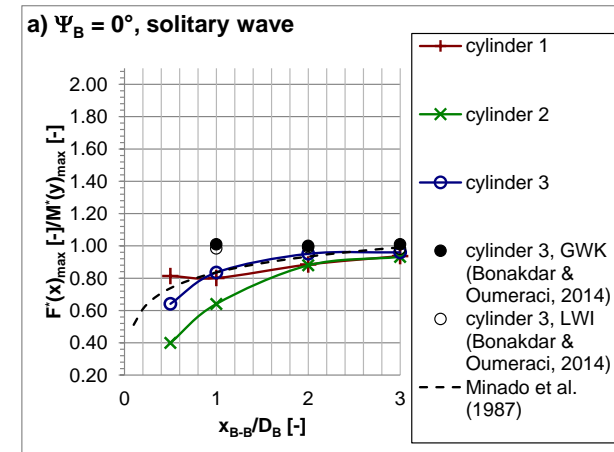
## Results

# Tandem



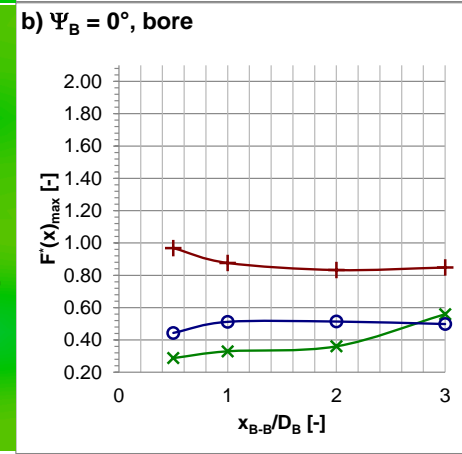
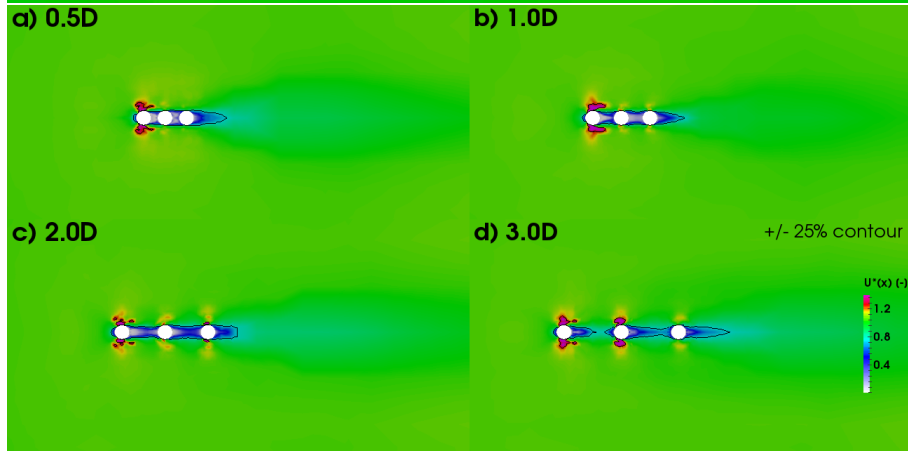
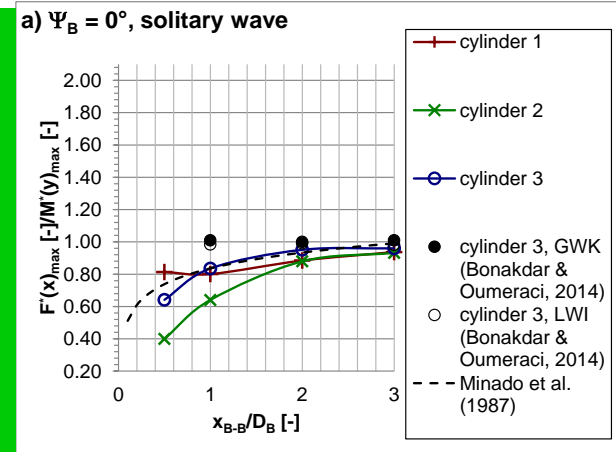
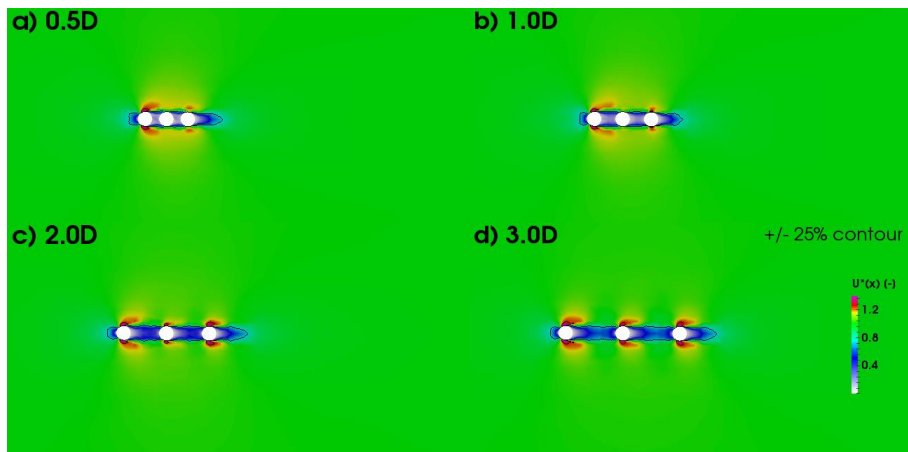
- tandem arrangement ( $\Psi_B = 0^\circ$ )
  - differences more pronounced in bore cases
  - distance
    - differences decrease with increasing distance
    - bores: plays minor role
    - solitary wave: at  $3 D_B$ , cylinders independent

Mindao et al. (1987):  $K_z = 0.836 + 0.141 \ln(x_{B-B}/D_B)$



$F_{max}^*$  in three cylinders in tandem arrangement

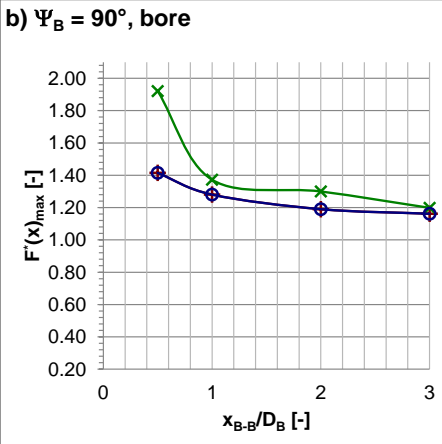
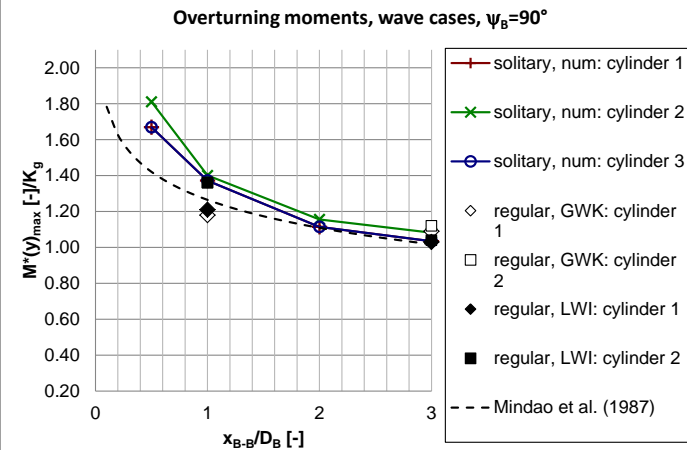




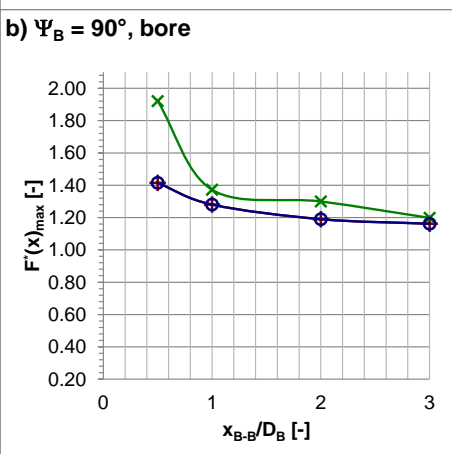
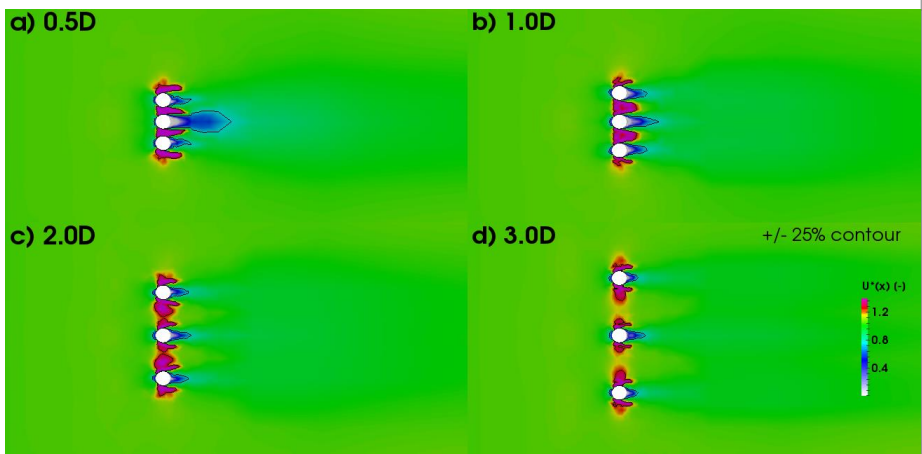
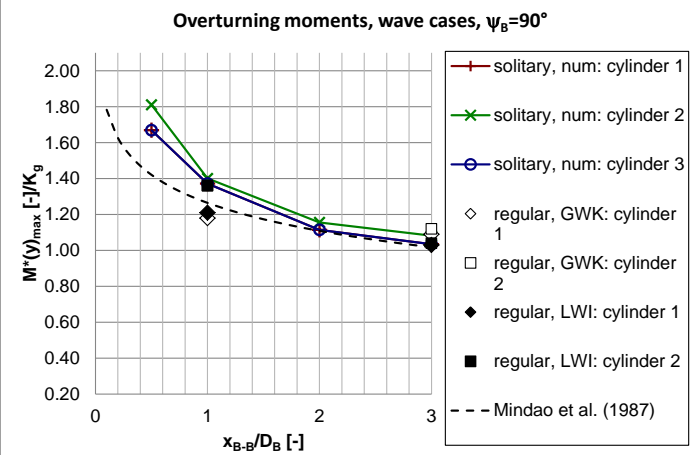
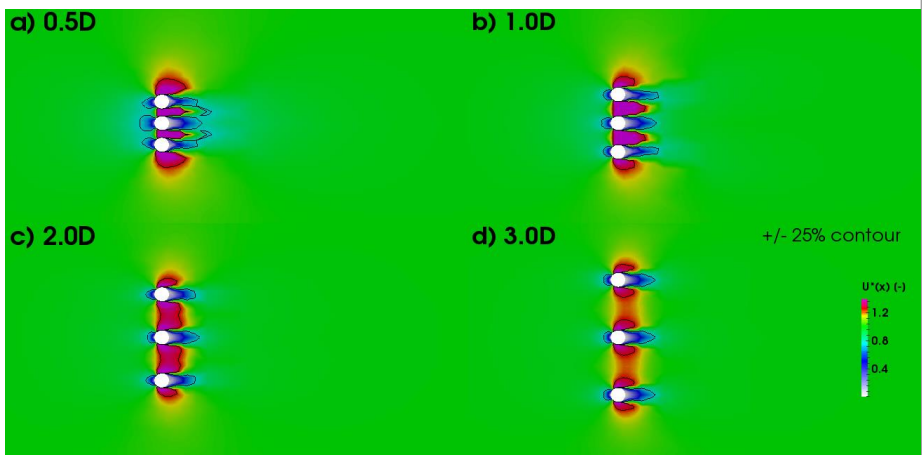
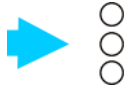
$F_{max}^*$  in three cylinders in tandem arrangement

# Side-by-side

- side-by-side arrangement ( $\Psi_B = 90^\circ$ )
  - differences are more pronounced under bore conditions
  - distance:
    - solitary wave: at  $3D_B$  cylinders act almost independent
    - bore: differences vanish, but at  $3D_B$  cylinders receive higher load than single cylinder



$F_{max}^*$  in three cylinders in side-by-side arrangement; reg. wave case by Bonakdar & Oumeraci (2014)

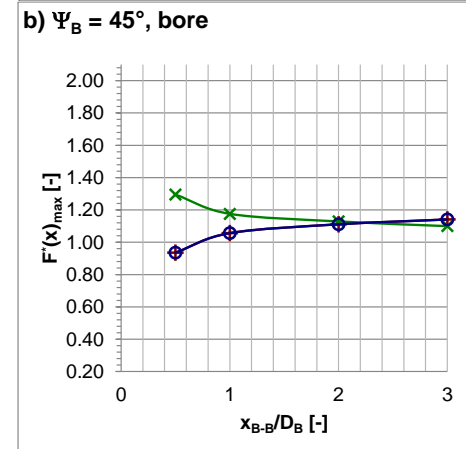
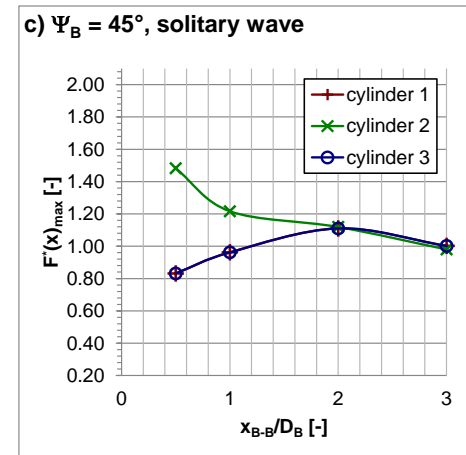


$F_{max}$  in three cylinders in side-by-side arrangement; reg. wave case by Bonakdar & Oumeraci (2014)

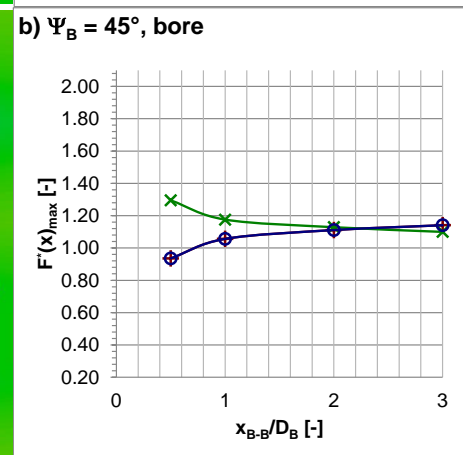
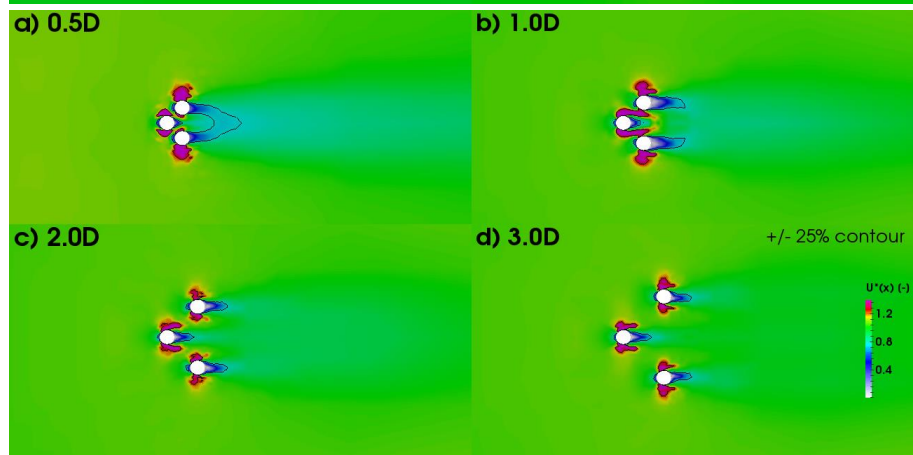
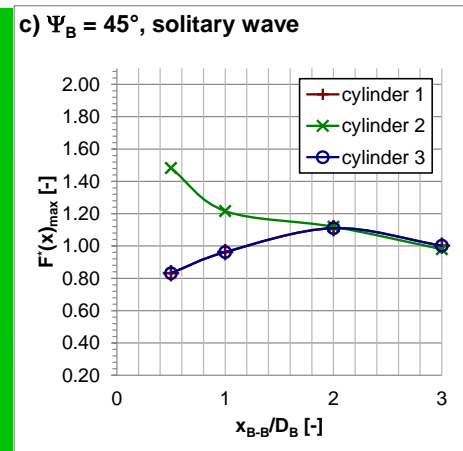
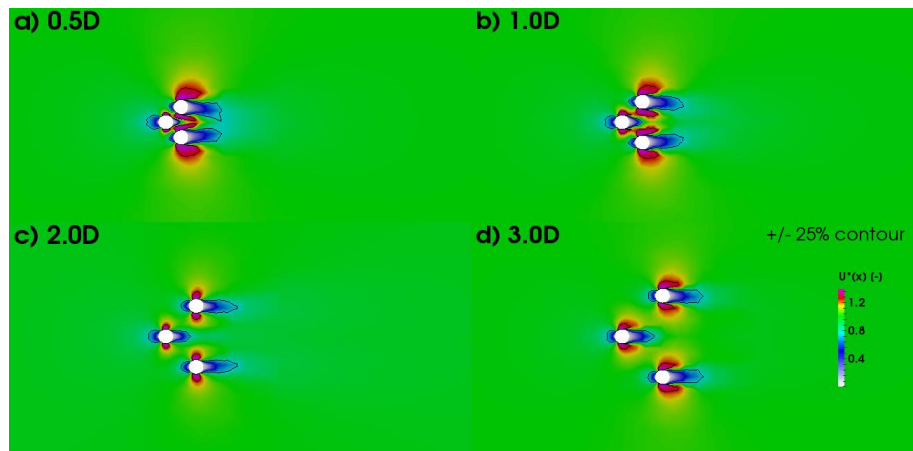
# Staggered 1



- staggered 1 arrangement ( $\Psi_B = 45^\circ$ )
  - differences are more pronounced under wave conditions
  - distance:
    - solitary wave: at  $3D_B$ , cylinders independent
    - bore: at  $3D_B$  still interaction



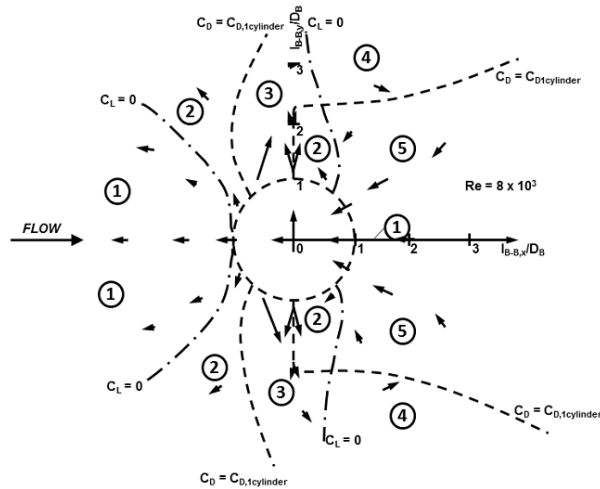
$F^*_{max}$  in three cylinders in staggered 1 arrangement;  
reg. wave case by Bonakdar & Oumeraci (2014)



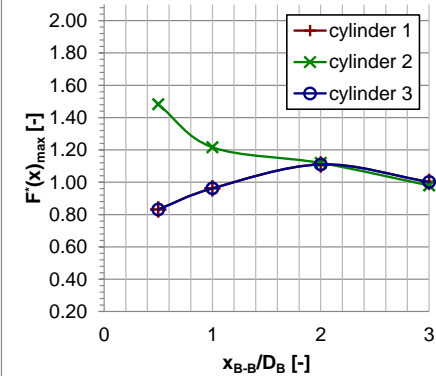
$F^*_{max}$  in three cylinders in staggered 1 arrangement; reg. wave case by Bonakdar & Oumeraci (2014)



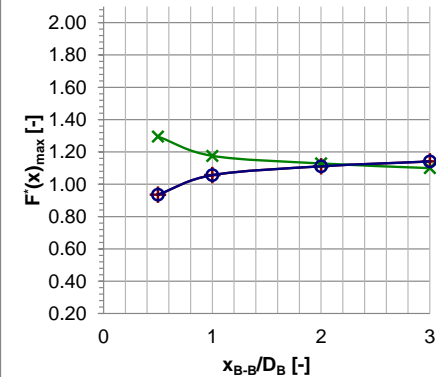
- staggered 1 arrangement ( $\Psi_B = 45^\circ$ )
  - modified from Hori (1959):



c)  $\Psi_B = 45^\circ$ , solitary wave



b)  $\Psi_B = 45^\circ$ , bore

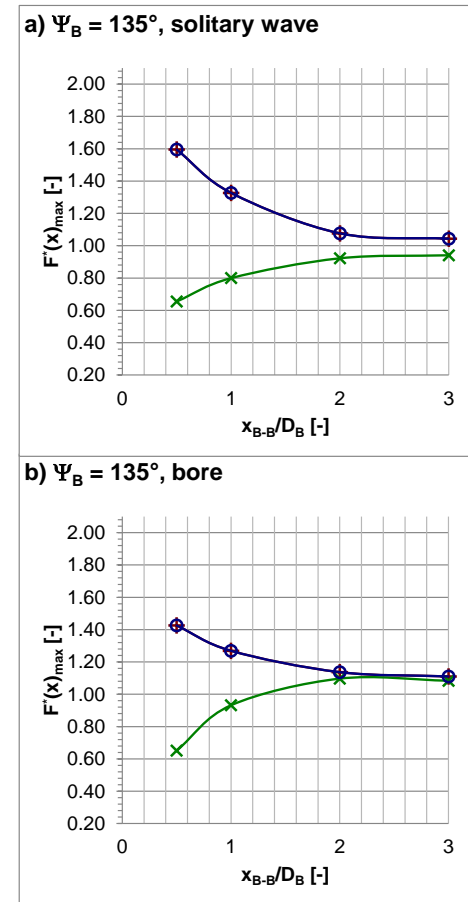


$F^*_{max}$  in three cylinders in staggered 1 arrangement; reg. wave case by Bonakdar & Oumeraci (2014)

# Staggered 2

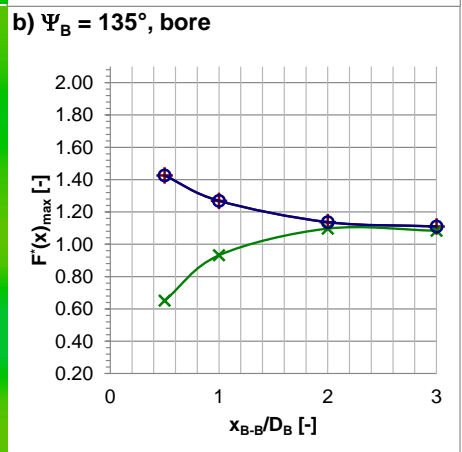
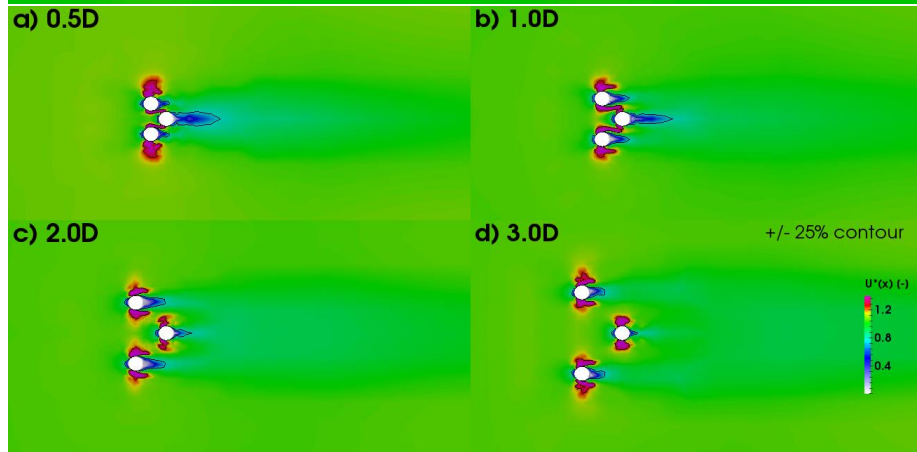
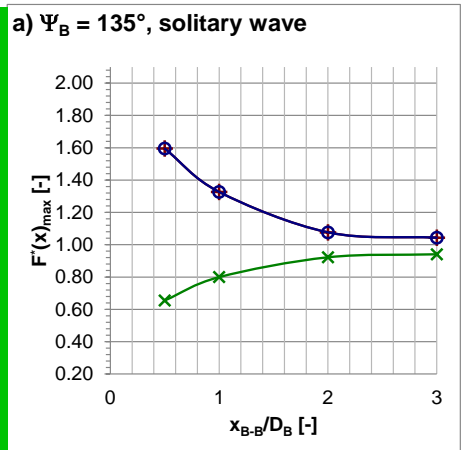
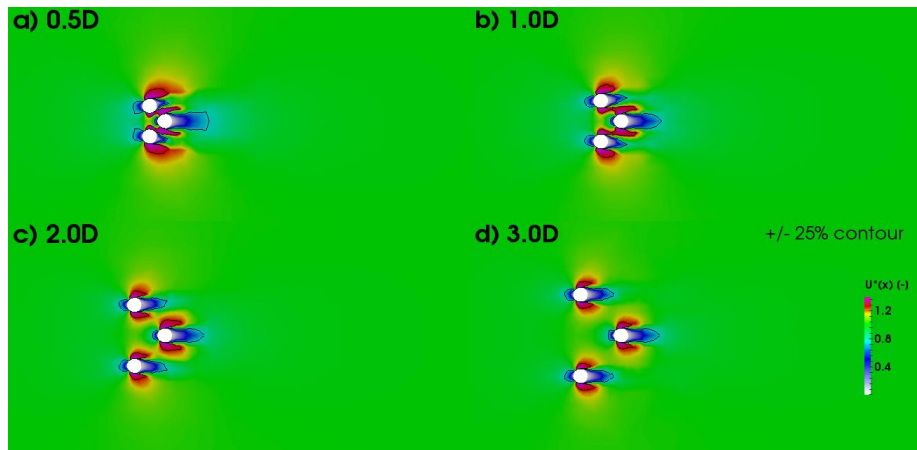


- staggered 2 arrangement ( $\Psi_B = 135^\circ$ )
  - differences are more pronounced under solitary wave conditions
  - distance:
    - solitary wave: at  $3D_B$ , small interaction
    - bore: at  $2D_B$ , small interaction, differences vanish



Source: modified from Hori (1959)

$F^*_{max}$  in three cylinders in staggered 2 arrangement



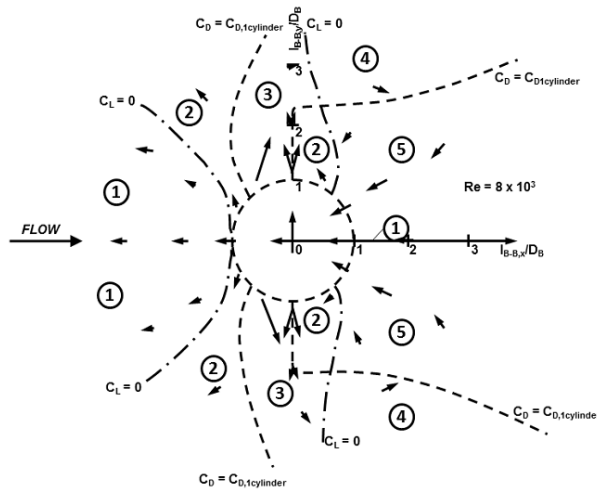
Source: modified from Hori (1959)

$F^*_{max}$  in three cylinders in staggered 2 arrangement



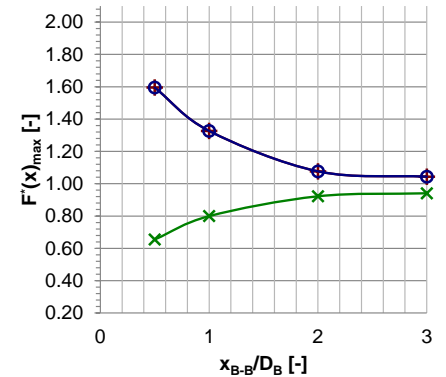


- staggered 2 arrangement ( $\Psi_B = 135^\circ$ )
  - modified from Hori (1959):

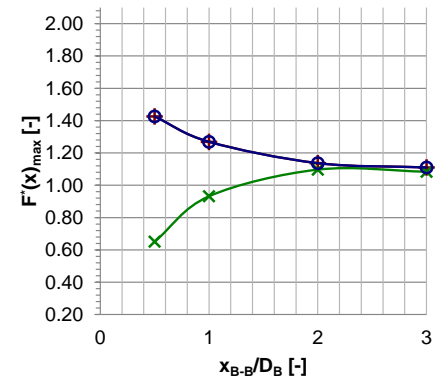


Source: modified from Hori (1959)

a)  $\Psi_B = 135^\circ$ , solitary wave



b)  $\Psi_B = 135^\circ$ , bore



$F^*_{max}$  in three cylinders in staggered 2 arrangement

# Results

- cylinder 1:

solitary wave						bore				
stdev	0	45	90	135	$D_B$	0	45	90	135	stdev
0.41	0.81	0.83	1.69	1.59	0.5	0.97	0.94	1.41	1.43	0.23
0.24	0.80	0.96	1.36	1.33	1	0.88	1.06	1.28	1.27	0.17
0.10	0.88	1.11	1.11	1.08	2	0.83	1.11	1.19	1.14	0.14
0.04	0.94	1.00	1.04	1.04	3	0.85	1.14	1.16	1.11	0.13
	0.06	0.10	0.25	0.22	stdev	0.05	0.08	0.10	0.13	

- cylinder 2:

solitary wave						bore				
stdev	0	45	90	135	$D_B$	0	45	90	135	stdev
0.58	0.4	1.48	1.81	0.65	0.5	0.29	1.29	1.92	0.65	0.62
0.31	0.64	1.22	1.4	0.8	1	0.33	1.18	1.37	0.93	0.39
0.12	0.88	1.12	1.15	0.92	2	0.36	1.13	1.3	1.1	0.36
0.06	0.93	0.98	1.08	0.94	3	0.56	1.1	1.2	1.08	0.25
	0.21	0.18	0.29	0.12	stdev	0.10	0.07	0.28	0.18	

- cylinder 3:

solitary wave						bore				
stdev	0	45	90	135	$D_B$	0	45	90	135	stdev
0.46	0.64	0.83	1.69	1.59	0.5	0.44	0.94	1.41	1.43	0.41
0.23	0.84	0.96	1.36	1.33	1	0.51	1.06	1.28	1.27	0.31
0.07	0.95	1.11	1.11	1.08	2	0.51	1.11	1.19	1.14	0.28
0.03	0.96	1	1.04	1.04	3	0.5	1.14	1.16	1.11	0.28
	0.13	0.10	0.25	0.22	stdev	0.03	0.08	0.10	0.13	

# Results

- averaged standard deviations of solitary waves and bores for arrangement angle and distance

	solitary wave	bore
$\Psi_B$	0.22	0.30
$X_{B-B}$	0.18	0.11

- offshore conditions (solitary wave): both parameters have comparable influence
- onshore conditions (bore): arrangement dominates

# 05.

## Summary, conclusion, outlook

# Summary, conclusions

- 36 numerical experiments to quantify the importance of distance and arrangement between roughness elements
- model has been well validated (deviations to experimental data: < 2 %)
- numerical results agree well with laboratory data (Bonakdar & Oumeraci, 2014) and literature
- offshore conditions (solitary wave): distance and arrangement are of comparable importance
- onshore conditions (bore): arrangement dominates

# Summary, conclusions

- loads on roughness elements result are related to energy losses in flow regimes offshore and onshore
- for empirical formulae in depth-averaged models
  - both parameters largely influence the results and need to be considered
  - especially for inundation modelling, the arrangement is of high importance

# Outlook

- Almost finished systematic simulations of large groups of roughness elements investigating
  - size
  - height
  - arrangement
  - distance
- development of empirical formulae and implementation into NLSW model

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# Thank you for your kind attention!

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